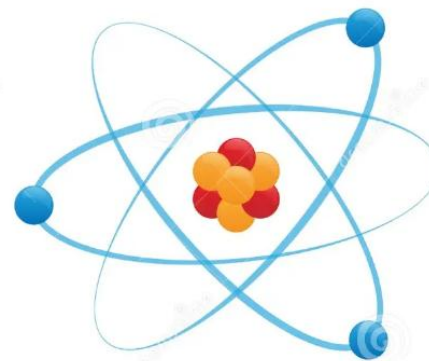


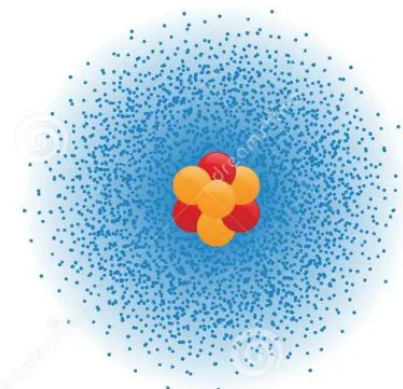
# บทที่ 3 INTRO TO QUANTUM MECHANICS

ผู้ช่วยศาสตราจารย์จุฑามณี จันทรมานี

หลักสูตรวิทยาศาสตรบัณฑิต สาขาวิชาวิทยาการคอมพิวเตอร์  
คณะวิทยาศาสตร์และเทคโนโลยี มหาวิทยาลัยสวนดุสิต



**Bohr Model**  
Electron Orbits



**Quantum Mechanical Model**  
Electron Clouds (Orbitals)



**Electron**  
Negatively charged particles  
Atomic mass 0



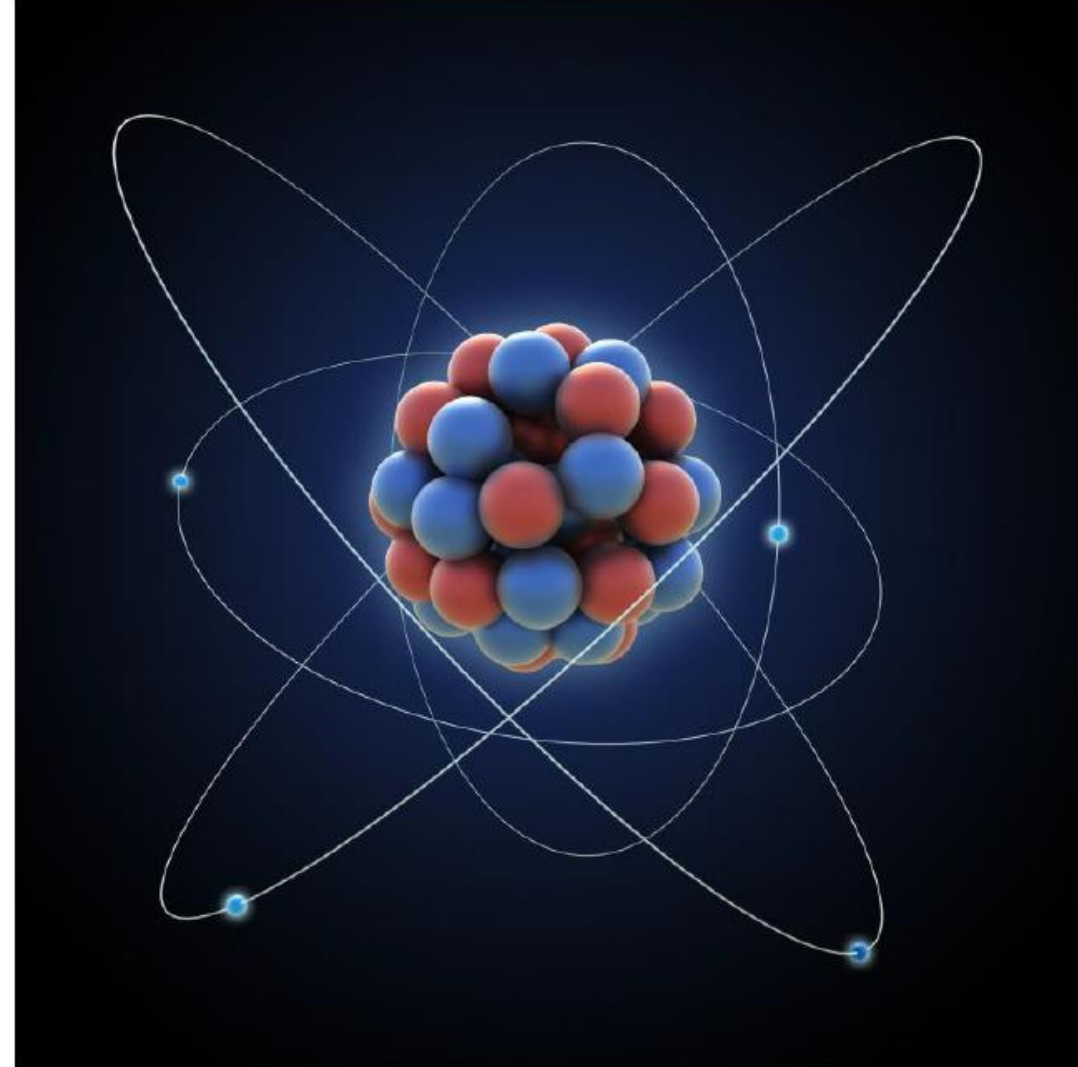
**Neutron**  
Particles that contain no charge  
Atomic mass 1



**Proton**  
Positively charged particles  
Atomic mass 1

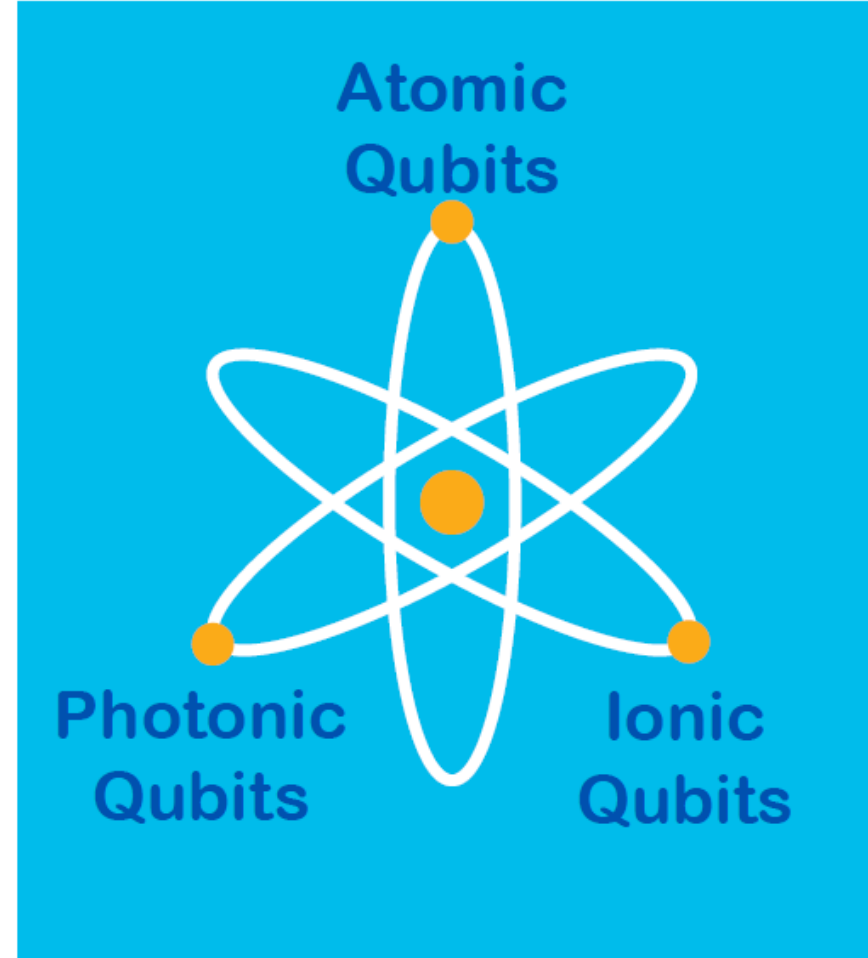
# What is Quantum Mechanics?

- Quantum mechanics is the field of physics that explains how subatomic objects simultaneously have the characteristics of both:
  - **Particles**—tiny pieces of matter, and
  - **Waves**—variations that transfer energy



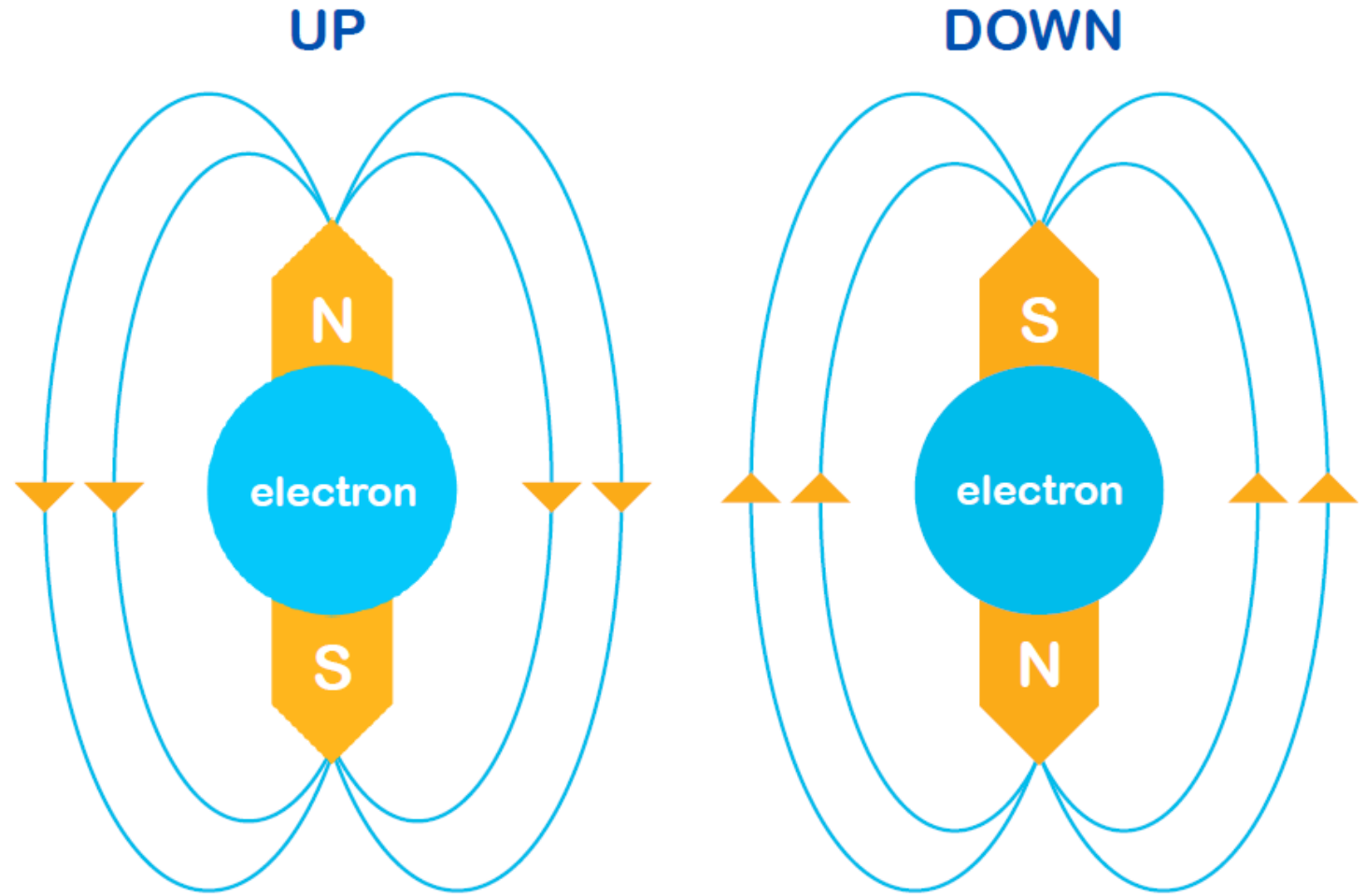
# Quantum Bits (Qubits)

- Any quantum particle that can be measured in two discrete states, and as such, could be used to represent information
  - E.g. a 0 or 1



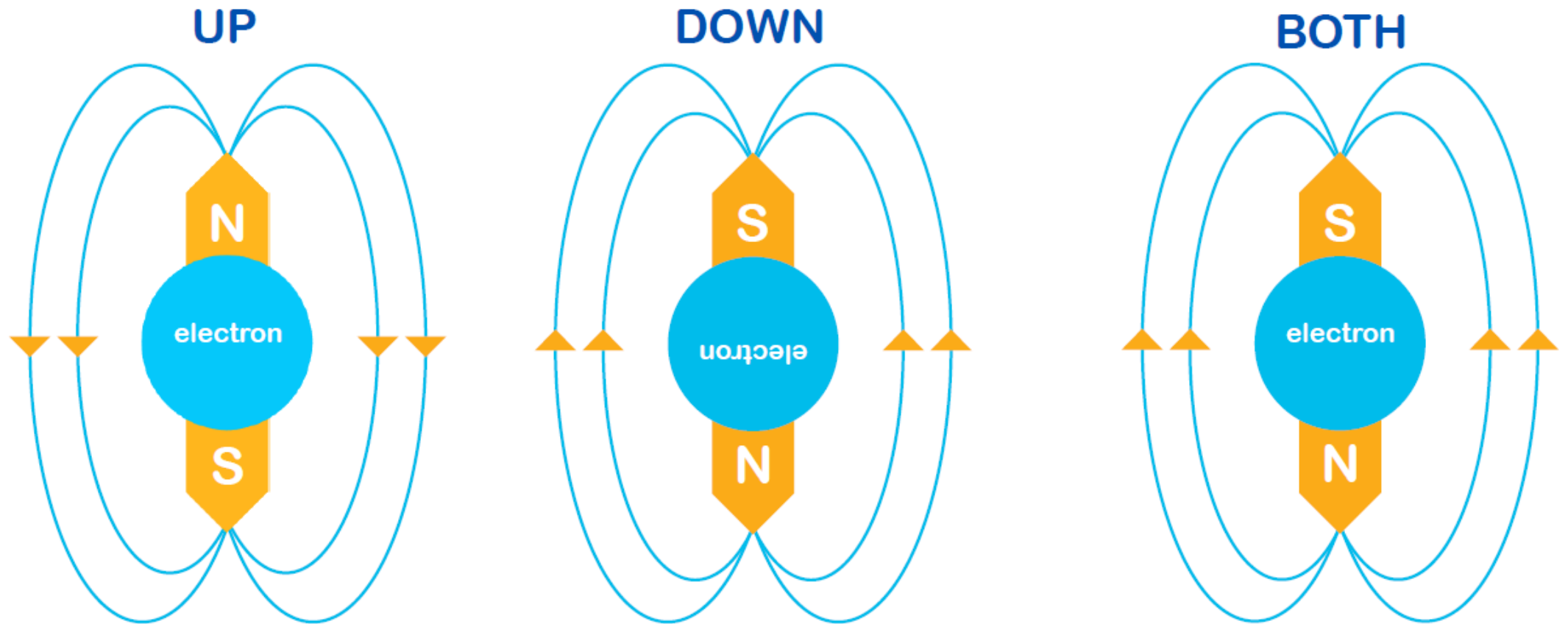
# Qubit Example

- The spin of an electron can be used as a Qubit
- For example:
  - An upwards spin could be used represent a 0
  - A downward spin could be used to represent 1



# Angular Momentum

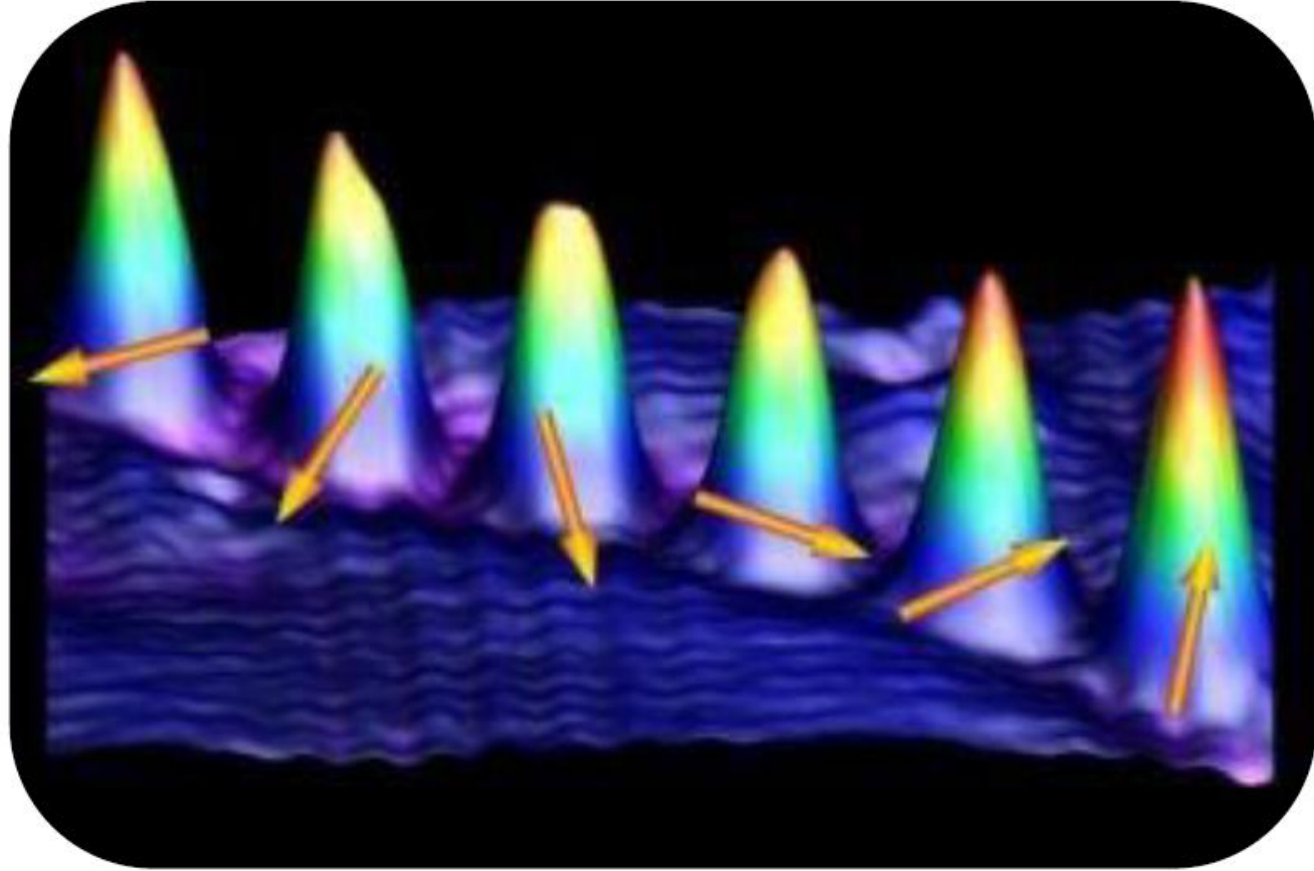
- The spin may not always be perfectly up or down, but angular
  - i.e. some *combination* of BOTH up-spin and down-spin





# An Electron Microscope View Of Electron Spin

- The pointier the hat, the more upward the spin



# General Quantum State Formula

$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$$

Quantum State  
represented by Psi

(Psi is the 23<sup>rd</sup> letter of  
the Greek alphabet)

Alpha Ket 0  
Alpha represents the  
amplitude of state 0

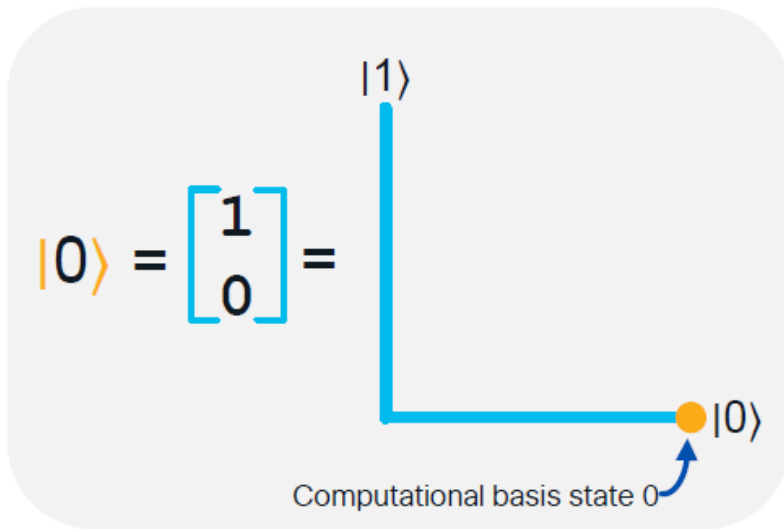
(Alpha is the first letter of  
the Greek alphabet)

Beta Ket 1  
Beta represents the  
amplitude of state 1

(Beta is the second letter of  
the Greek alphabet)

# Quantum State and Vectors

$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$$



$$\begin{bmatrix} 1 \\ 0 \end{bmatrix}$$

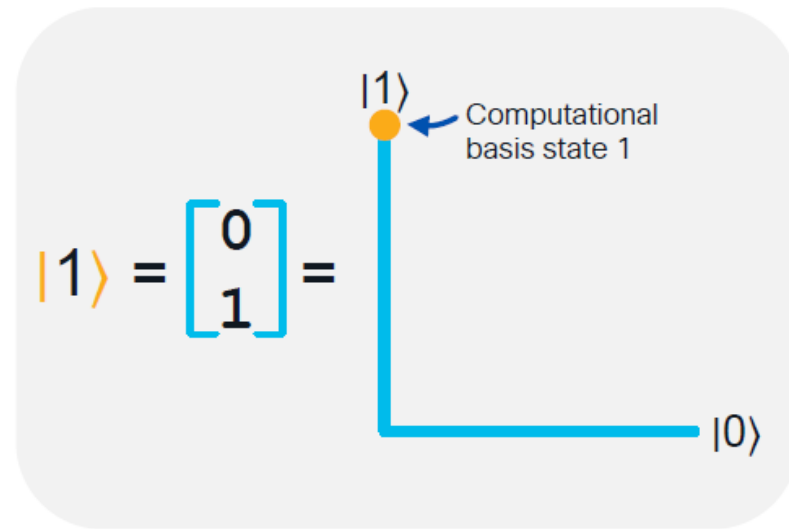
Vector 0

X-Axis  
Coordinate

Y-Axis  
Coordinate

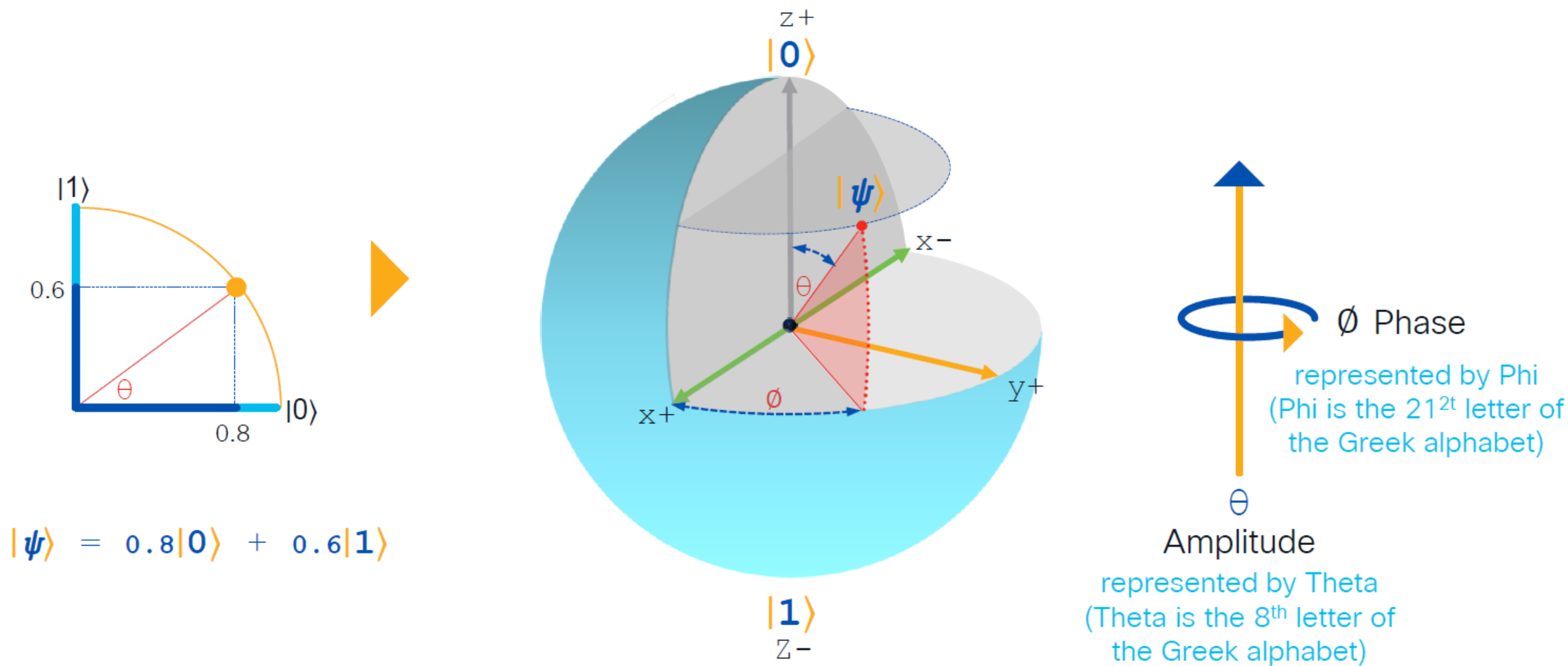
$$\begin{bmatrix} 0 \\ 1 \end{bmatrix}$$

Vector 1



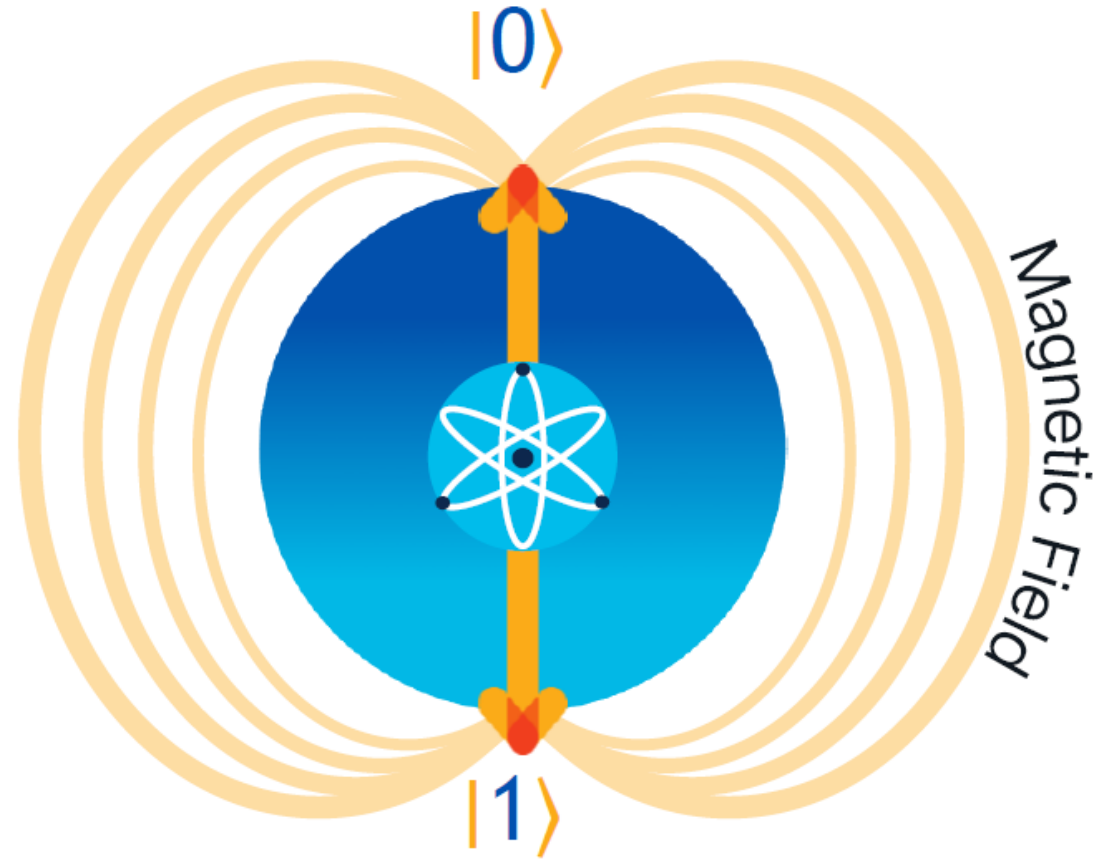


# The Bloch Sphere: A 3D Qubit Representation



# Quantum Special Property: Superposition

- As long a Qubit is unobserved (i.e. unmeasured) it is in a “Superposition” of probabilities for 0 and 1



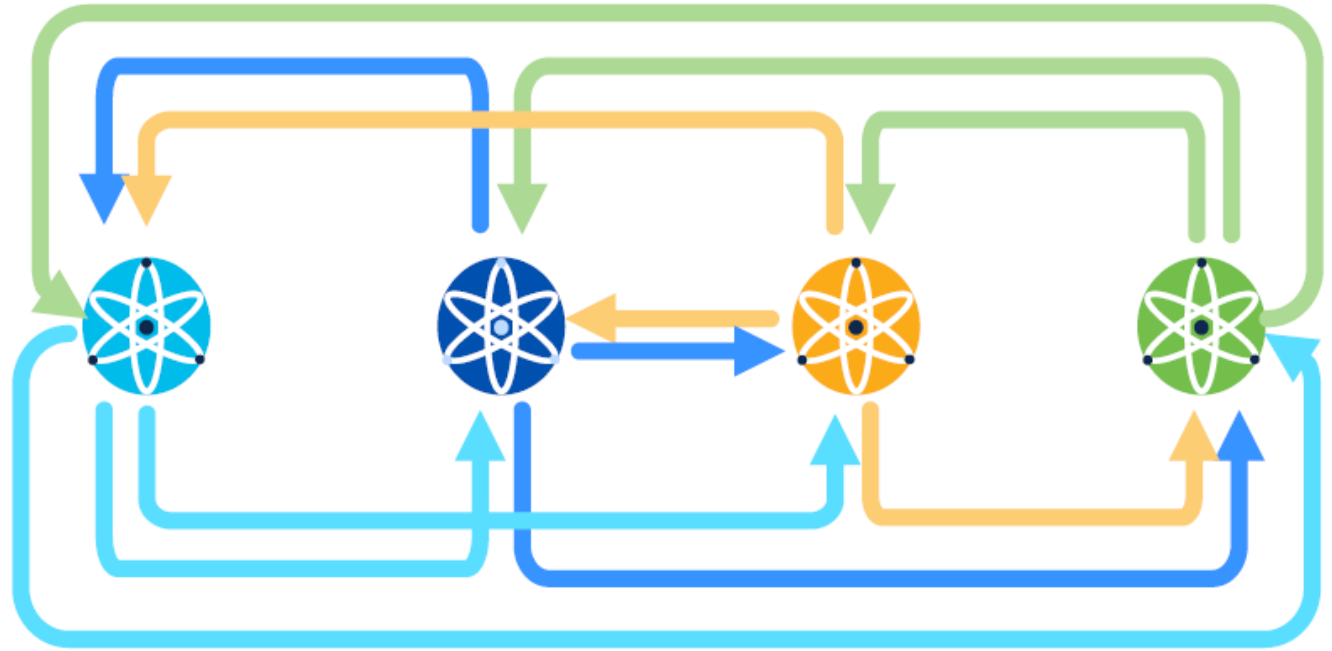
# Quantum Special Property: Superposition

- As long a Qubit is unobserved (i.e. unmeasured) it is in a “Superposition” of probabilities for 0 and 1
- The instant a Qubit is measured, the superposition will collapse into one of the two discrete states



# Quantum Special Property: Entanglement

- Entanglement is a physical relationship between Qubits where they react to a change in the other(s) state instantaneously regardless of how far they are apart
- Multiple qubits can become entangled with each other
  - The current record is 54



# Quantum Special Property: Entanglement

- If an entangled qubit is measured, then entanglement is broken
- The discrete state of the entangled qubit will depend on the entanglement operation that was performed
  - the states may be the same, or
  - the states may be opposite (as shown in this example)
- The important point is that as one entangled qubit changes state, its counterpart(s) will instantaneously reflect that change



|1⟩



|0⟩

# Quantum Special Property: No Cloning

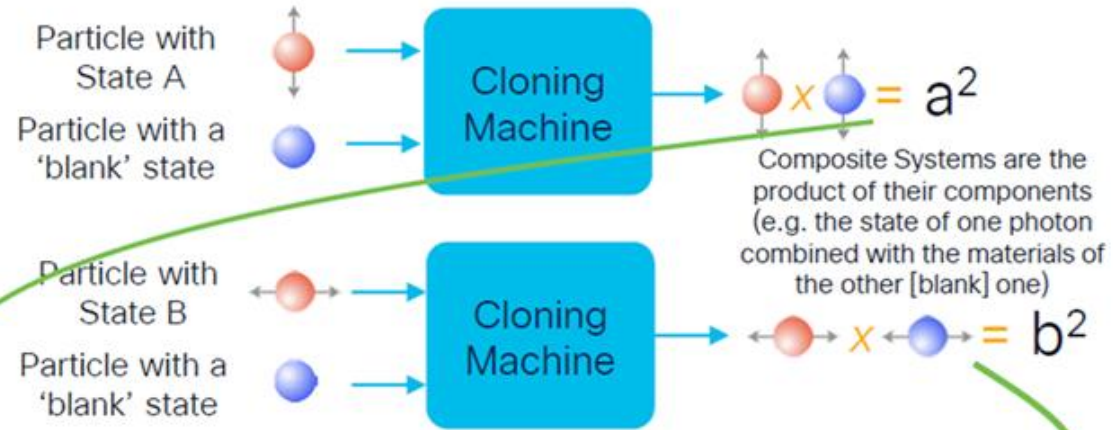
Given:

$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle,$$

$$\text{Let } a = \alpha|0\rangle \text{ and } b = \beta|1\rangle$$

$$|\psi\rangle = (a + b)$$

- It can be mathematically proven that it is impossible to clone a qubit
- The proof uses the logical method of “Proof by Contradiction”



Quantum state:  $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$   
Simplified to:  $|\psi\rangle = (a + b)$

For any given Transformation (T):  $T(a + b) = T(a) + T(b)$   
Let us assume the transformation is a cloning operation

